

CENTRO DE INVESTIGACION Y DE ESTUDIOS AVANZADOS
DEL INSTITUTO POLITECNICO NACIONAL

Concurrent Movements Over Rough Surfaces

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Computation Ph.D.

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What is RoboCup? (antecedents)

- Tournament with simulation and robotics football players categories.
- Goal: intelligent machines and software deploys to play soccer without human help.

Category: Small Size League



Terrain exploration



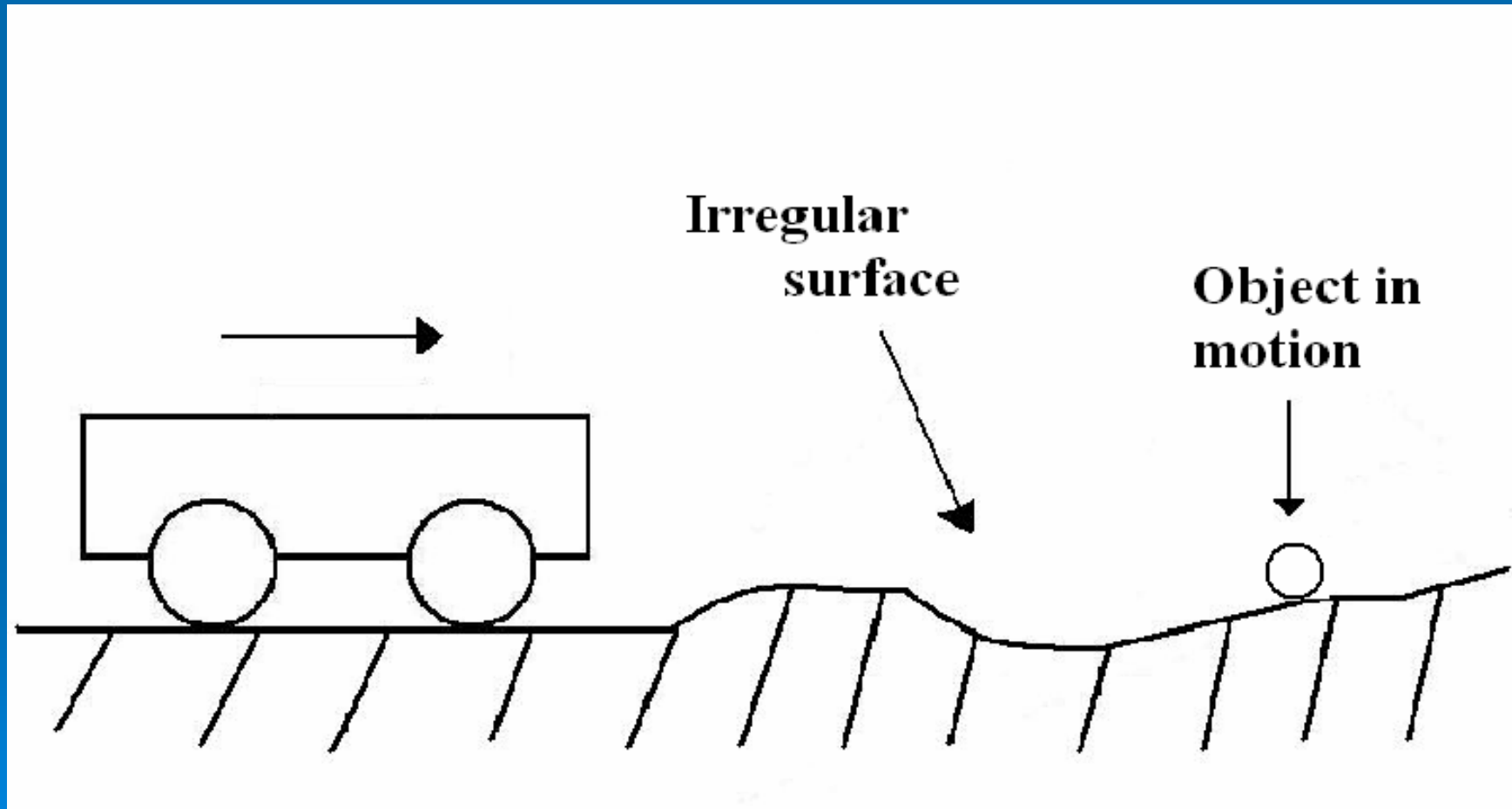
Current methods (terrain exploration)

- Laser Methods (2006, 2005, 2004)
 - On-line terrain scanning.
 - Robot's speed can be limited.
- Vibration Methods (2005, 2004, 2003)
 - On-line terrain recognition during robot exploration.
 - Cannot anticipate surface roughness immediately in front of the robot.

Problem overview

- RoboCup players **on even surfaces** have:
 - ✓ Speed, Agility, Precision.
- **What's on fields with *soft* drops and holes?**
 - **For moving on soft surface:**
 - Neural network training
 - Kalman filter state prediction
 - **Roughness**
 - Irregularities: slopes and holes.
 - Appearance-Based-Modeled (ABM)
 - **Concurrent Environments**
 - Collective games

Problem statement



Surface recognition by texture (roughness) information

➤ Off-line surface modeling

- Surface aerial view (satellite images)
- Training through previous surface images

➤ Modeling of:

- Surface irregularities
- Moving object

➤ Tracking of moving object

Surface Modeling methodology

Appearance-Based-Model

- Acquire object's images from different perspectives.
- Apply principal component analysis.
- Obtain orthonormal base from eigenvectors.
- Project all images to eigenspace.
- Image recognition.

Eigenspace

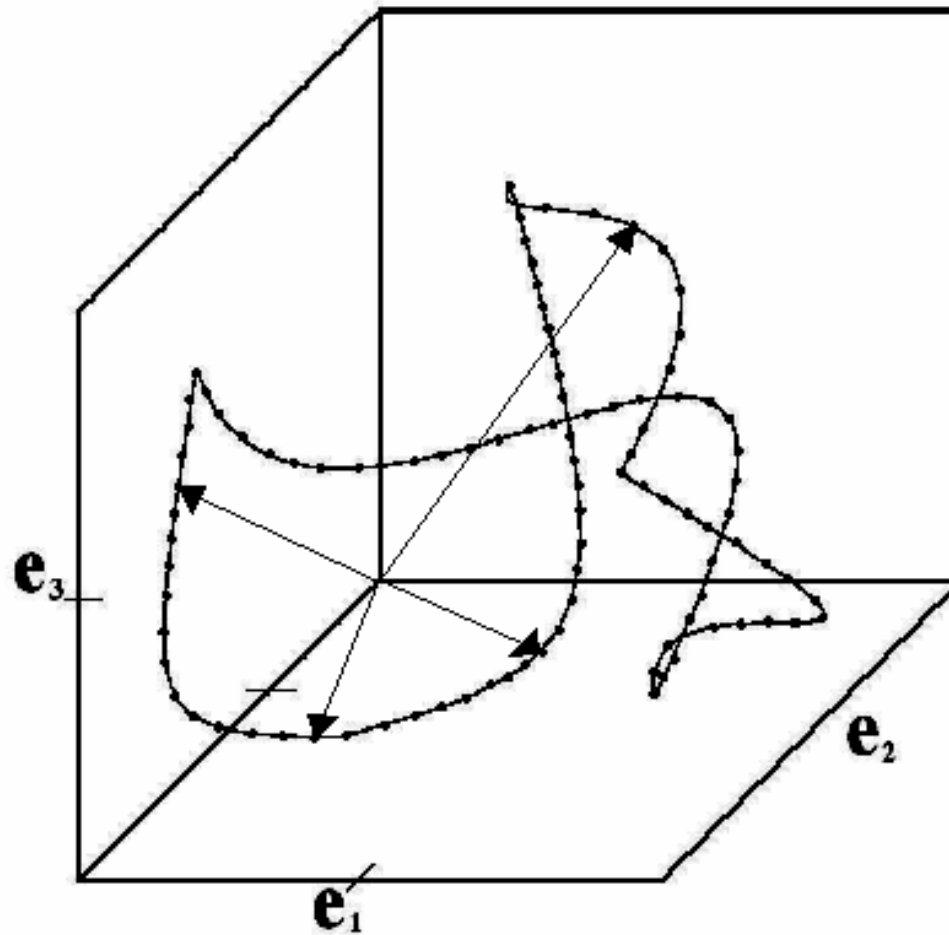
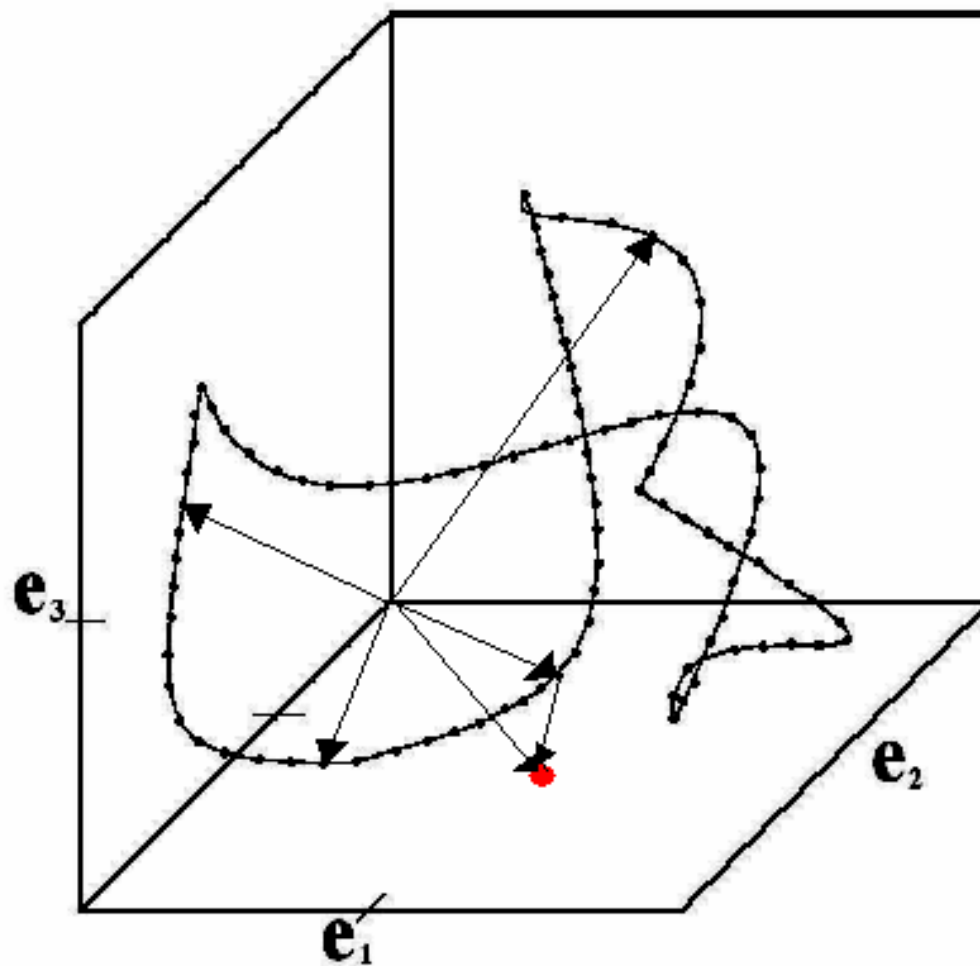


Image Recognition



Advantages:

- **Adaptive**: the more **essential** acquired images, the more efficient image recognition is.
- High space dimension, $n \times m$, so expensive computational cost... but eigenspace is reduced with the “Turk and Pentland trick”, $N \times N$ ($N \ll n \cdot m$).

More advantages:

- Object's integral modeling:
 - Shape, color, texture.
- Common feature to obstacles recognition
- Model soft surfaces irregularities
 - Small drops and holes.
- Slopes minors to 15°
- Consider surface texture (roughness)

Disadvantages

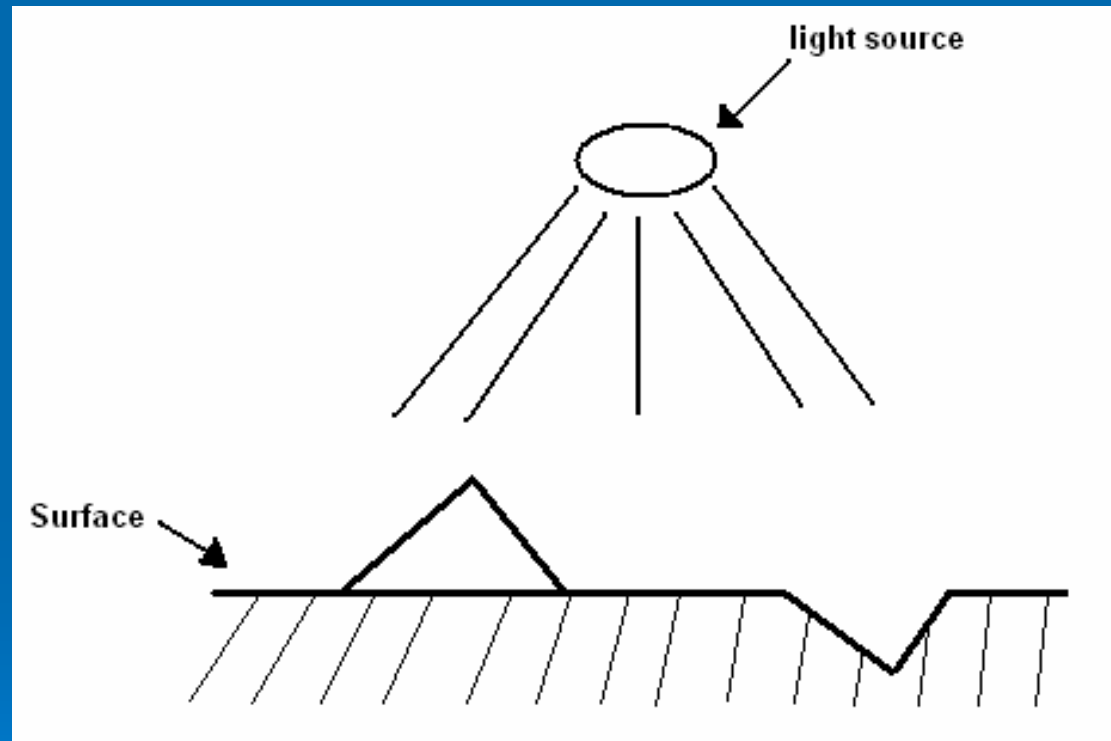
➤ Light sensitive

- The number of operations for recognition is $O(k \log_2 n)$, where k is the space dimension and n the quantity of points in the manifold.

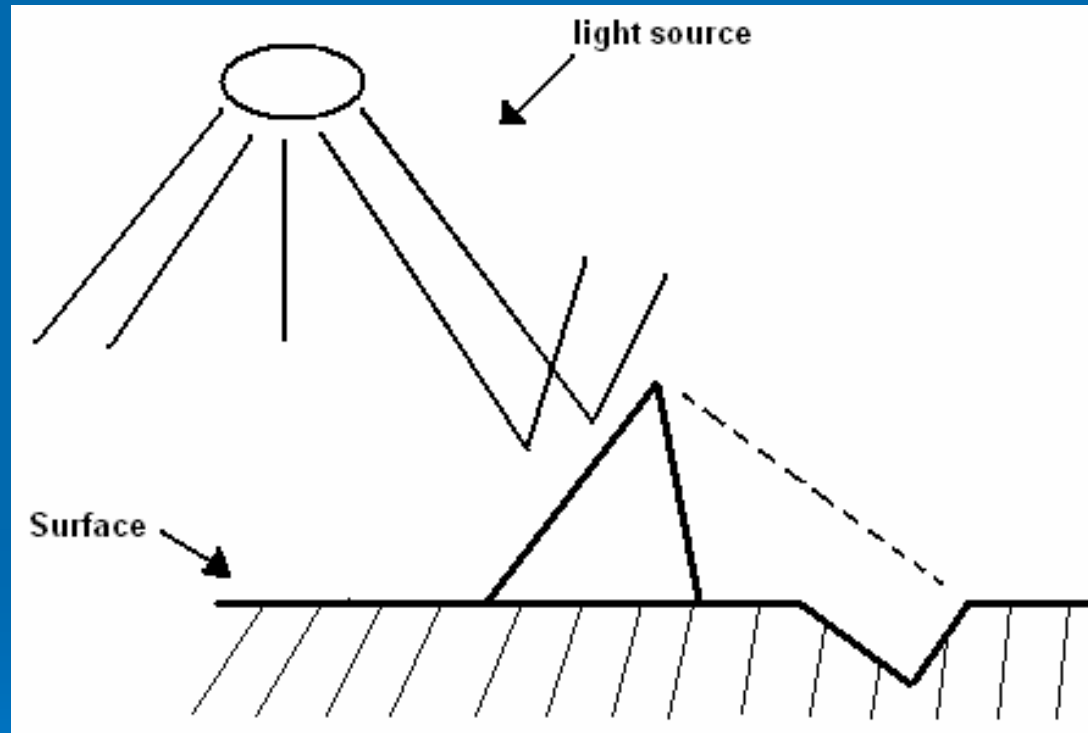
Remark: *The illumination problem*

- Slight variations in illumination alters the roughness recognition enormously.
- The light source must be totally **perpendicular** and in the **middle** of the surface, at a convenient **height**.

Correct illumination angle



Wrong illumination angle



Surface Squaring:

- **Sensitivity to the surfaces' detailed differences:** by using ample information from different training images,
- **the roughness differences through the surface are**
 - **Fine modeled**
 - Well integrated in the model.
 - Easy objects location.
- **Facilitates Concurrency Control**

Squaring

$(1,1)$	$(1,2)$	$(1,3)$									
$(2,1)$	$(2,2)$	$(2,3)$									

Neural network for surfaces recognition

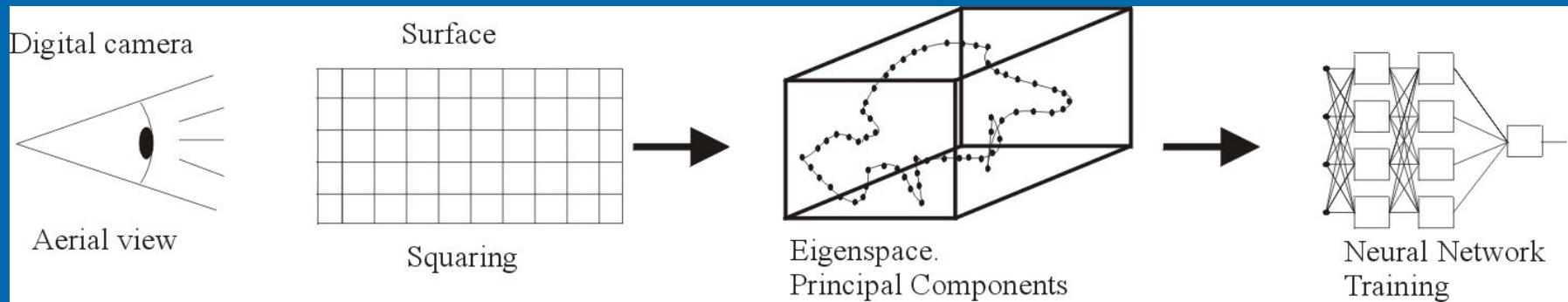
The object recognition as classification problem.

- NN excellent for classification problems.
- The principal components and the interpolated points are used as the elements of the NN's training set.

NN Training

- With the feedback – backpropagation algorithm (learning supervised).
- The NN's training and roughness recognition takes a few seconds.

Surface Modeling and NN Training



The NN's training set is $\{(\theta_1, \mu_1), \dots, (\theta_N, \mu_N)\}$.

μ_i is the friction coefficient of image θ_i .

μ_i integration at the training step

Friction coefficient from roughness information

➤ Friction coefficient

- Depends of the surface roughness
- Mathematical function of the roughness

➤ NN recognition testing

What is Friction?

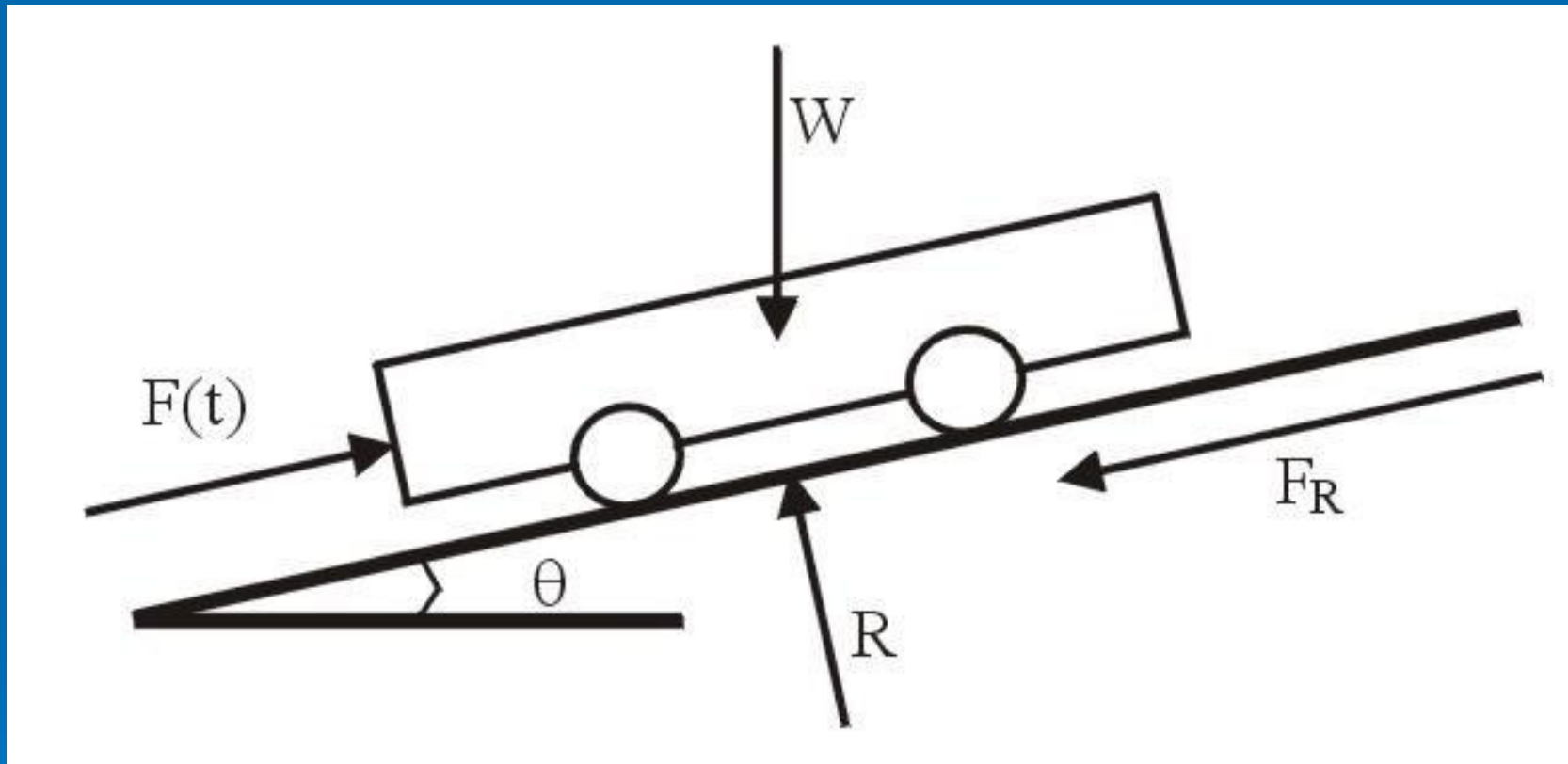
- Friction is a tangential force that expresses the opposition of two bodies' surfaces in touch against motion.
- Friction force is expressed as the multiplication of friction coefficient μ and the normal force R between both surfaces:

$$F_R = \mu R.$$

Friction Coefficient:

- is a non-unit value μ depending on each pair of touching materials. Real number, $0 \leq \mu \leq 1$.
- Robot has rubber wheels as mean of traction,
 - Necessary to recognize the surface texture, and
 - to look for the corresponding coefficient for rubber on the different materials:
 - Wood, steel, carpet, fabric, ground, grass, mosaic, ...

The Physics of friction



$$F(t) - W \sin \theta - F_R = m\ddot{x}(t)$$

Concurrency on Collective Games

➤ Football soccer

- Players compete for:
 - Space on the field
 - Ball possessing

➤ Risk of (situations to avoid):

- Collisions between players
- Ball disputing between team partners

Concurrent Control

➤ Necessary Data

- Location of:
 - Players (team partners and opponents)
 - Ball
- Distance between players
- Opponent's goal

➤ Squaring helps to draw a map useful:

- to locate players and the ball,
- to control the players moves

Concurrent Control

- Each square is occupied by only one player at time (first coming).
- So, before a player walks to a square:
 - it checks if it is occupied, if not,
 - the player locks the square and moves to occupy it.
 - No one else can use that square until the owner releases the lock.

Concurrent Control

- When the owner decides to move,
 - locks the next square where is going to move,
 - then moves to the square and
 - finally releases the lock of the square where it was.

Football Soccer Simulation

- Two teams with five players each one
 - The team with the ball tries to make a goal
 - The other team pursues the opponents in order not to let them make goal
- One coach per team
 - The coach gives instructions of movements to do
 - The coach knows the opponents and partners location

Football Soccer Simulation



... **What's on motion on *irregular surfaces?!***

- Textures on the surface
- Drops and holes on the surface
- Concurrent access to the surface
- Tracking of moving object

My future research **Adaptive Velocity**

- Player's speed cannot be constant due to texture is different throughout the surface!
- Players have to adapt their speed depending on the:
 - **Texture**
 - Slow if surface is slippery
 - Fast if surface is rough
 - Size of holes or slopes in its trajectory
- Always trying to move as fast as it is possible

Future Tests (Bioloid kit)



Thanks!

Opinions, suggestions or
Questions...

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Appearance-Based Model

1) Let $\{\mathbf{I}_1, \dots, \mathbf{I}_N\} \subset \mathbf{R}^{n \times m}$ the training images.

2) The images are stacked $\{\phi_1, \dots, \phi_N\} \subset \mathbf{R}^{nm}$.

3) All the vectors are normalized with $\tilde{\phi}_i = \frac{\phi_i}{\|\phi_i\|}$,

$\{\tilde{\phi}_1, \dots, \tilde{\phi}_N\} \subset \mathbf{R}^{nm}$ is the set after this operation.

Appearance-Based Model

4) The average vector is calculated $\vec{\mathbf{C}} = \frac{1}{N} \sum_{i=1}^N \tilde{\phi}_i$.

5) The images are centered :

$$\Phi = \left[\tilde{\phi}_1 - \vec{\mathbf{C}} \mid \dots \mid \tilde{\phi}_N - \vec{\mathbf{C}} \right] \in \mathbf{R}^{nm \times N}.$$

6) The covariance matrix is obtained :

$$\Omega = \Phi \Phi^T.$$

Appearance-Based Model

7) The eigenvalues and eigenvectors are calculated with the known equation :

$$\Omega\Psi = \vec{\lambda}\Psi.$$

Where :

$$\Psi = [\mathbf{e}_1 \mid \cdots \mid \mathbf{e}_{nm}],$$

$$\vec{\lambda} = \{\lambda_1, \dots, \lambda_{nm}\}.$$

Appearance-Based Model

8) All the training images are projected to the eigenspace :

$$\theta_i = \Psi^T (\tilde{\phi}_i - \vec{C}) \in \mathbf{R}^{nm}, i = 1, \dots, N.$$

The images are interpolated using splines, and finally we have a manifold $\theta(q)$.

Image Recognition

Let the testing image \mathbf{I}_t , is stacked and normalized φ_t , then it is projected to the eigenspace :

$$\omega_t = \Psi^T (\varphi_t - \vec{C}).$$

The object recognition is reduced to find the closest manifold point, in other words, to find the minimum q such that :

$$\| \omega_t - \theta(q) \| \leq \varepsilon, \text{ for } \varepsilon \geq 0.$$